Noise

Grame

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name	Noise
version	1.1
author	Grame
license	BSD
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1 Presentation of the "noise.dsp" Faust program

This program describes a white noise generator with an interactive volume, using a random function.

1.1 The random function

The random function describes a generator of random numbers, which equation follows. You should notice hereby the use of an integer arithmetic on 32 bits, relying on integer wrapping for big numbers.

- 1. Input signal: none
- 2. Output signal:

$$y(t) = r_1(t)$$

3. Internal signal:

$$r_1(t) = 12345 \oplus 1103515245 \odot r_1(t-1)$$

1.2 The noise function

The white noise then corresponds to:

- 1. Input signal: none
- 2. Output signal:

$$y(t) = 4.65661 \cdot 10^{-10} \cdot r_1(t)$$

1.3 Just add a user interface element to play volume!

Endly, the sound level of this program is controlled by a user slider, which gives the following equation:

- 1. Input signal: none
- 2. Output signal:

$$y(t) = p_1(t) \cdot r_1(t)$$

3. User interface element:

"Volume":
$$u_{s1}(t) \in [0,1]$$
 (default value = 0)

4. Parameter signal:

$$p_1(t) = 4.65661 \cdot 10^{-10} \cdot u_{s1}(t)$$

2 Block-diagram schema of process

This process is illustrated on figure 1.

3 Notice of this documentation

You might be careful of certain information and naming conventions used in this documentation:

- This documentation was generated with Faust version 0.9.9.6b15mdoc, on December 14, 2009.
- Eventual sub-block-diagrams may be found in the "svg" sub-directory (only top-level block-diagrams are represented in this documentation).
- Warning: symbolic names eventually used inside block-diagrams have NO direct relation with signal names used in formulas ("x(t)", "y(t)", ...). Moreover, the computation may be simplified and reorganized.
- $\forall s(t) \in \mathbb{S}, s(t<0) = 0.$
- The middle dot operator "." denotes multiplication in formulas.
- The circled plus operator " \oplus " denotes an integer addition.
- \bullet The circled dot operator " \odot " denotes an integer multiplication.
- y(t) denotes an output signal.
- $p_i(t)$ denote parameter signals (running at "block rate").
- $u_{si}(t)$ denote user interface signals of sliders.
- $r_i(t)$ denote recursive signals (delayed as $r_i(t-d)$).

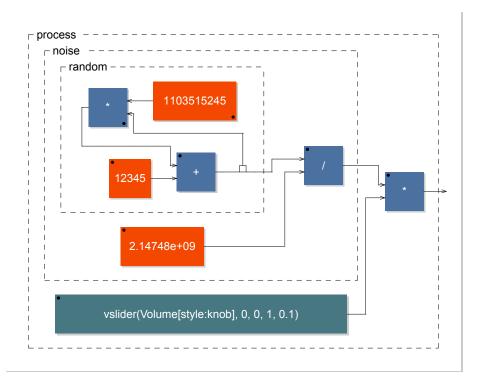


Figure 1: block-diagram of process

4 Listing of the input code

The following listing shows the input Faust code, parsed to compile this mathematical documentation.

Listing 1: noise.dsp

```
\subsection{The random function}
17
    The \texttt{random} function describes a generator of random numbers, which equation follows
18
           . You should notice hereby the use of an integer arithmetic on 32 bits, relying on
          integer wrapping for big numbers.
    <equation>random
19
20
    \subsection{The noise function}
The white noise then corresponds to:
21
22
    <equation>noise</equation>
23
24
    </mdoc>
25
    random = +(12345)~*(1103515245);
noise = random/2147483647.0;
26
27
28
29
     <mdoc>
     \subsection{Just add a user interface element to play volume!}
30
    Endly, the sound level of this program is controlled by a user slider, which gives the
31
          following equation:
32
    <equation>process</equation>
33
    </mdoc>
34
35
     \section{Block-diagram schema of process}
37
    This process is illustrated on figure 1.
38
    <diagram>process</diagram>
39
    </mdoc>
41
    process = noise * vslider("Volume[style:knob]", 0, 0, 1, 0.1);
42
43
     \section{Notice of this documentation}
45
    You might be careful of certain information and naming conventions used in this
          documentation:
46
     \section{Listing of the input code}
    The following listing shows the input Faust code, parsed to compile this mathematical
49
    sting>
     </mdoc>
```